

CLAIMS

Please amend the presently pending claims as follows:

1. (Previously Presented) A method for sending a signal implementing N_t transmit antennas, with $N_t \geq 2$, wherein the method implements the following steps, for at least one vector comprising N symbols to be sent:

dividing said vector into N_t sub-vectors;

multiplying each of the N_t sub-vectors by a distinct sub-matrix sized $(N/N_t, N)$, each sub-matrix being associated with one of the transmit antennas, and said sub-matrices being obtained by subdivision of a unitary square matrix sized (N, N) ; and

sending, from the N_t transmit antennas, the N_t sub-vectors resulting from the multiplying step.

2. (Cancelled)

3. (Previously Presented) The method according to claim 1, wherein N/N_t is greater than or equal to 2.

4. (Previously Presented) The method according to claim 1, wherein said unitary matrix is full.

5. (Previously Presented) The method according to claim 1, wherein said unitary matrix belongs to the group comprising:

- real Hadamard matrices;
- complex Hadamard matrices;
- Fourier matrices;
- real rotation matrices;
- complex rotation matrices.

6. (Previously Presented) The method according to claim 1, wherein the method implements two transmitter antennas and said sub-matrices have a value of $\begin{bmatrix} 1 & 1 \end{bmatrix}$ and $\begin{bmatrix} 1 & -1 \end{bmatrix}$.

7. (Previously Presented) The method according to claim 1, wherein the method implements two transmitter antennas and said sub-matrices have a value of $\frac{1}{\sqrt{2}} \begin{bmatrix} 1 & 1 & 1 & 1 \\ 1 & -1 & 1 & -1 \end{bmatrix}$ and $\frac{1}{\sqrt{2}} \begin{bmatrix} 1 & 1 & -1 & -1 \\ 1 & -1 & -1 & 1 \end{bmatrix}$.

8. (Previously Presented) The method according to claim 1, wherein the method implements four transmitter antennas and said sub-matrices have a value of $\begin{bmatrix} 1 & 1 & 1 & 1 \end{bmatrix}$, $\begin{bmatrix} 1 & -1 & 1 & -1 \end{bmatrix}$, $\begin{bmatrix} 1 & 1 & -1 & -1 \end{bmatrix}$ and $\begin{bmatrix} 1 & -1 & -1 & 1 \end{bmatrix}$.

9. (Previously Presented) A method for reception of a signal corresponding to a combination of contributions of N_t transmit antennas, with $N_t \geq 2$, wherein for at least one vector comprising N symbols to be sent, the signal is generated by dividing said vector into N_t sub-vectors, multiplying each of the N_t sub-vectors by a distinct sub-matrix sized $(N/N_t, N)$, each sub-matrix being associated with one of the transmit antennas, and said sub-matrices being obtained by subdivision of a unitary square matrix sized (N, N) , and sending, from the N_t transmit antennas, the N_t sub-vectors resulting from the multiplying step, wherein the signal forms, seen from a receiver, a single combined signal representing the multiplication, wherein the method of reception comprises:

implementing at least one receiver antenna;

receiving said single combined signal on each of said receiver antennas; and

decoding said single combined signal by a decoding matrix corresponding to a matrix that is the conjugate transpose of said unitary matrix.

10. (Previously Presented) The method according to claim 9, wherein a maximum likelihood decoding is applied to data coming from multiplication by said conjugate transpose matrix.

11. (Cancelled)

12. (New) A method for sending a signal implementing two transmit antennas, wherein the method implements the following steps, for at least one vector comprising N symbols to be sent:

dividing said vector into two sub-vectors;

multiplying each of the two sub-vectors by a distinct sub-matrix sized (N/2,N), each sub-matrix being associated with one of the transmit antennas, and said sub-matrices being obtained by subdivision of a unitary square matrix sized (N,N) and having a

value of $\frac{1}{\sqrt{2}} \begin{bmatrix} 1 & 1 & 1 & 1 \\ 1 & -1 & 1 & -1 \end{bmatrix}$ and $\frac{1}{\sqrt{2}} \begin{bmatrix} 1 & 1 & -1 & -1 \\ 1 & -1 & -1 & 1 \end{bmatrix}$; and

sending, from the two transmit antennas, the two sub-vectors resulting from the multiplying step.